A tennis ball of mass 0.1 kg is hit by a racquet. Immediately before being .

mon before = 0.1 $\binom{30}{0} = \binom{3}{0}$ + Impulse = $\binom{3}{0} + \binom{-2}{-4} = \binom{1}{-4}$

$$: V = \begin{pmatrix} 10 \\ -40 \end{pmatrix}$$

2. A particle P is moving in a plane. At time t seconds, P is moving with where
$$\mathbf{v} = 2t\mathbf{i} - 3t^2\mathbf{j}$$
.

Find

(a) the speed of P when $t = 4$

(5)

a)
$$V = \begin{pmatrix} 2t \\ -3t^2 \end{pmatrix}$$
 $t = 4$ $V = \begin{pmatrix} 8 \\ -48 \end{pmatrix}$ speed = $\sqrt{8^2 + 48}$
= $\frac{48.7}{48}$ mb.
a) $a = dV = \begin{pmatrix} 2 \\ -6t \end{pmatrix}$ $t = 4$ $a = \begin{pmatrix} 2 \\ -24 \end{pmatrix}$ (3square) $a = \sqrt{2^2 + 24^2} = 24.1 \text{ ms}^{-2}$

$$a = \sqrt{2^{2} + 24^{2}} = 24.1 \text{ ms}^{-2}$$

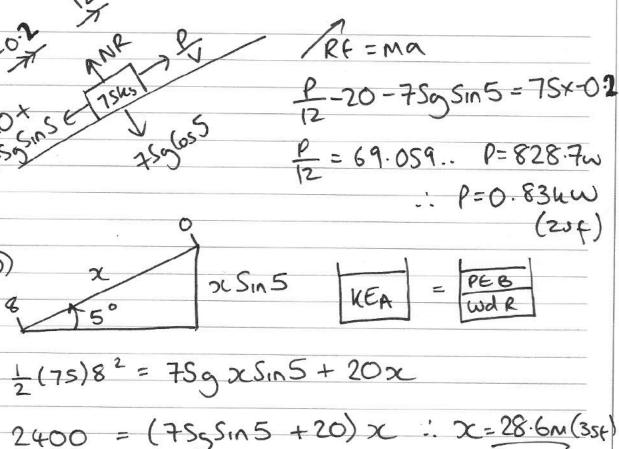
$$S = \int V dt = \begin{pmatrix} t^{2} + C_{1} \\ -t^{3} + C_{2} \end{pmatrix} \qquad t = 1 \quad S = \begin{pmatrix} 1 + C_{1} \\ -1 + C_{2} \end{pmatrix} = \begin{pmatrix} -4 \\ 1 \end{pmatrix}$$

$$\therefore C_{1} = -S \quad C_{2} = 2$$

$$S = \begin{cases} Vdt = \begin{pmatrix} t^2 + C_1 \\ -t^3 + C_2 \end{pmatrix} \qquad t = 1 \quad S = \begin{pmatrix} 1 + C_1 \\ -1 + C_2 \end{pmatrix} = \begin{pmatrix} -4 \\ 1 \end{pmatrix}$$

$$S = \begin{pmatrix} t^2 - 5 \\ 2 - t^3 \end{pmatrix} \qquad t = 4 = 1 \quad S = \begin{pmatrix} 11 \\ 1 \end{pmatrix}$$

A cyclist and her cycle have a combined mass of 75 kg. The cyclist is cycli



The trapezium
$$ABCD$$
 is a uniform lamina with $AB=4$ m and $BC=CD=DA=2$ m, as shown in Figure 1.

(a) Show that the centre of mass of the lamina is $\frac{4\sqrt{3}}{9}$ m from AB .

(5)

shown in Figure 1.

The lamina is freely suspended from D and hangs in equilibrium.

(b) Find the angle between DC and the vertical through D.

$$91(-\frac{4}{3}, \frac{2}{3}) M_1 = \frac{12}{2} L$$
 $92(0, \frac{1}{2}) M_2 = 2\sqrt{3} L$
 $2(\frac{12}{2}) \times \frac{2\sqrt{3}}{3} + 2\sqrt{3} L \times \frac{15}{2}$
 $93(\frac{4}{3}, \frac{2}{3}) M_3 = \frac{12}{2} L$
 $= 3\sqrt{3} L \times \frac{5}{3}$

(5)

M = 353h G (0, 4

mass per unit area =
$$\frac{1}{4}$$
 $\frac{1}{3}$ $\frac{1$

b)
$$\theta = \tan^{-1}\left(\frac{5}{4}\right)$$

$$= \tan^{-1}\left(\frac{5\sqrt{3}}{4}\right) = 43.9$$
(354)

5.

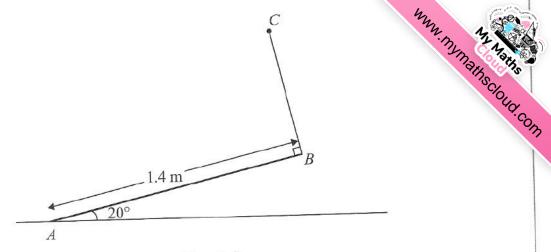


Figure 2

A uniform rod AB has mass 4 kg and length 1.4 m. The end A is resting on rough horizontal ground. A light string BC has one end attached to B and the other end attached to a fixed point C. The string is perpendicular to the rod and lies in the same vertical plane as the rod. The rod is in equilibrium, inclined at 20° to the ground, as shown in Figure 2.

(a) Find the tension in the string.

Given that the rod is about to slip,

(4)

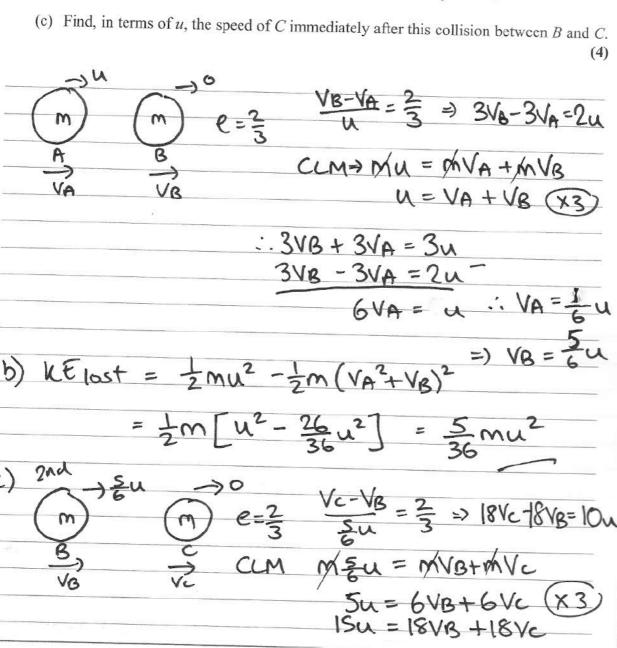
(7)

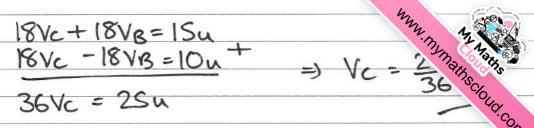
(b) find the coefficient of friction between the rod and the ground.

a) A = 18.41797...A = 18.41797...

TSIN20 \leftarrow NRA = 4g - T(os 20) NRA = 4g - T(os 20)

6. Three identical particles,
$$A$$
, B and C , lie at rest in a straight line on a straight line of a straight line on a straight line of a stra





www.mymathscloud.com [In this question, the unit vectors i and j are horizontal and vertical res $(6i + 12j) \text{ m s}^{-1}$

Figure 3

B

(7)

(5)

t=1.8367 11.84 (35F)

The point O is a fixed point on a horizontal plane. A ball is projected from O with velocity $(6\mathbf{i} + 12\mathbf{j}) \text{ m s}^{-1}$, and passes through the point A at time t seconds after projection. The point B is on the horizontal plane vertically below A, as shown in Figure 3. It is given that OB = 2AB.

(a) the value of t,

Find

(b) the speed, $V \text{ m s}^{-1}$, of the ball at the instant when it passes through A.

At another point C on the path the speed of the ball is also $V \text{ m s}^{-1}$.

(c) Find he time taken for the ball to travel from O to C.

U=121 S=Ut+zat Speed=6

dist=2c

dist = speed x time 2x = 6t

=) 3t=12t-4.9t2 t=4. == x=3t

b) V= u+at = 12-9.8t =-6

Speed = 162+62 = 8.4852 - 28.49 (35F)

c) Vn=6 Same speed: V1=6

1/2 = u + at 6 = 12 - 9.8t $t = \frac{6}{9.8}$ t = 0.612